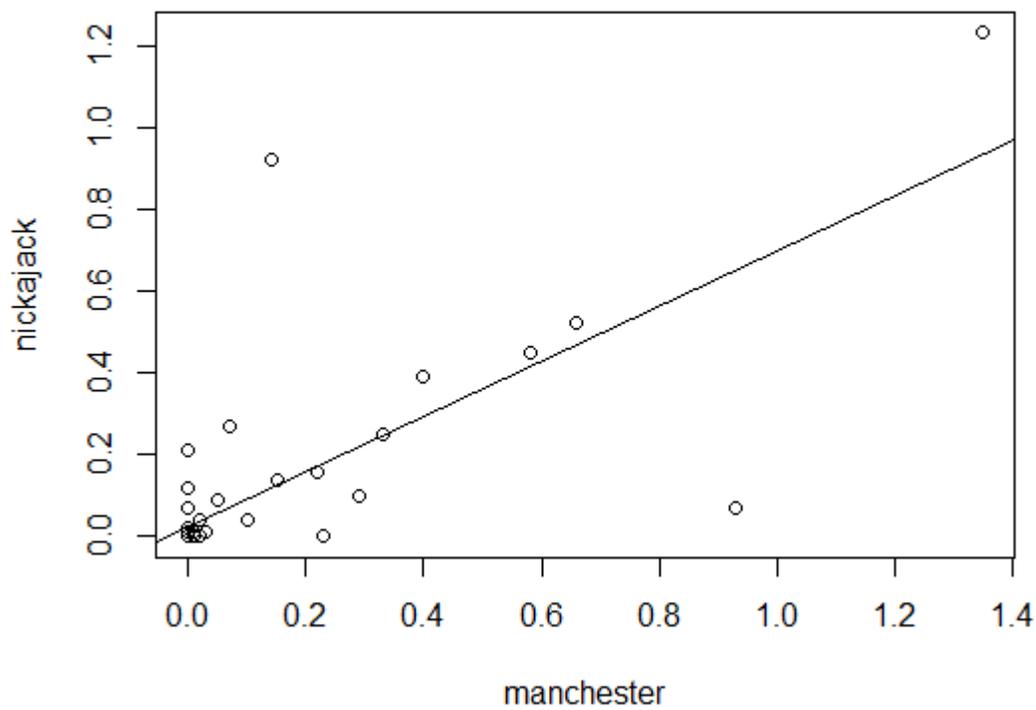
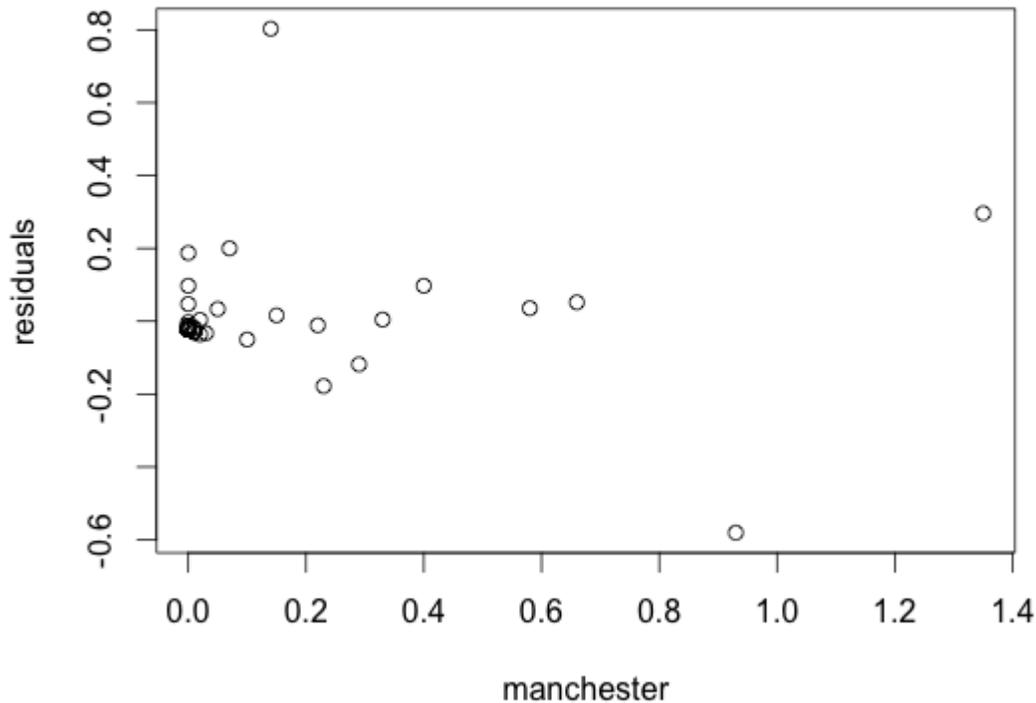


## Part One

1.  $y = 0.02266 + 0.67498x$  [6pts]
2. Scatterplot [6pts]



3.  $r = 0.7473656$  This indicates a moderately strong, positive linear correlation between rainfall at Nickajack and Manchester dams. [6pts]
4. Residual Plot [6pts]

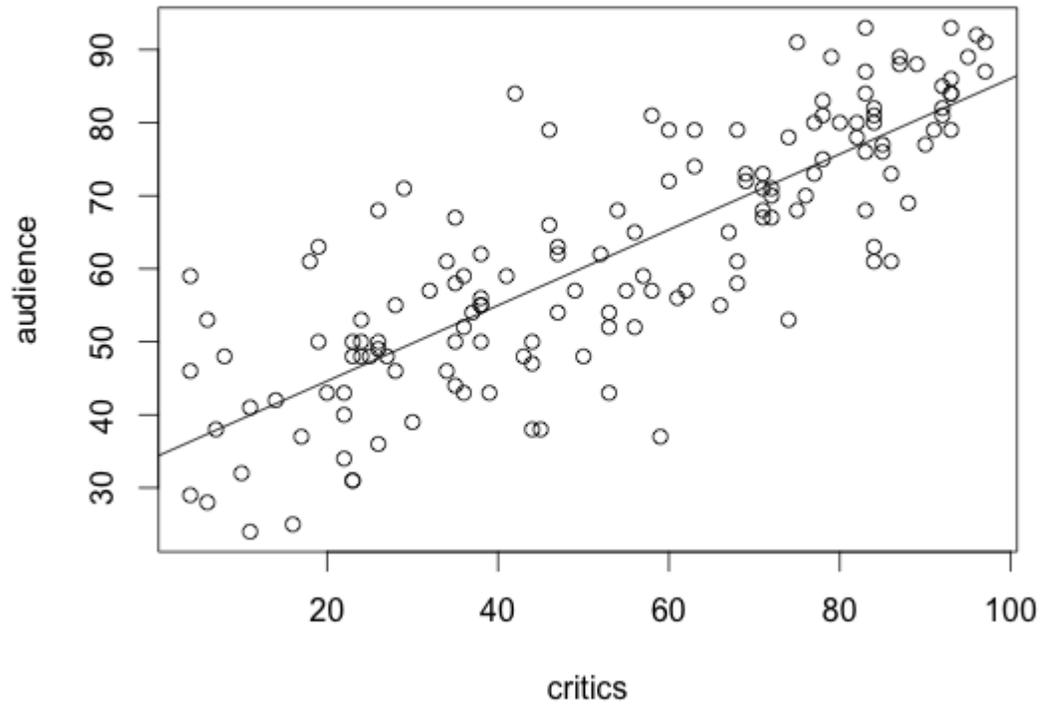


5.  $r^2 = 0.5586$ , so about 56% of the variance in rainfall at Nickajack dam can be explained by the linear relationship between rainfall in Manchester and Nickajack dams. [6pts]
6.  $H_0 : \beta_1 = 0$   
 $H_A : \beta_1 > 0$  [2pts for hypotheses]  
 $p\text{-value} = P(\beta_1 \geq 0.67498 \mid \beta_1 = 0) = 6.93 \times 10^{-12}$   
 We reject the null hypothesis and conclude that there is strong evidence of a positive linear relationship between rainfall at Manchester and Nickajack dams. [7pts total]
7. Based on the linear regression model, if Manchester receives an addition inch of rain beyond what is forecasted in a given day, Nickajack will receive **0.67498** additional inches of rain. [6pts]
8. Residuals are not exactly nearly normal. There are a few major outliers in the residual plot. More importantly, the residuals don't have constant variability. (As  $x$  increases, the residuals increase in absolute value). Therefore the least squares line may not be the best fit for the data. [6pts : 4pts for saying "either not normal" or "lack of constant variability" but not both]

## Part Two

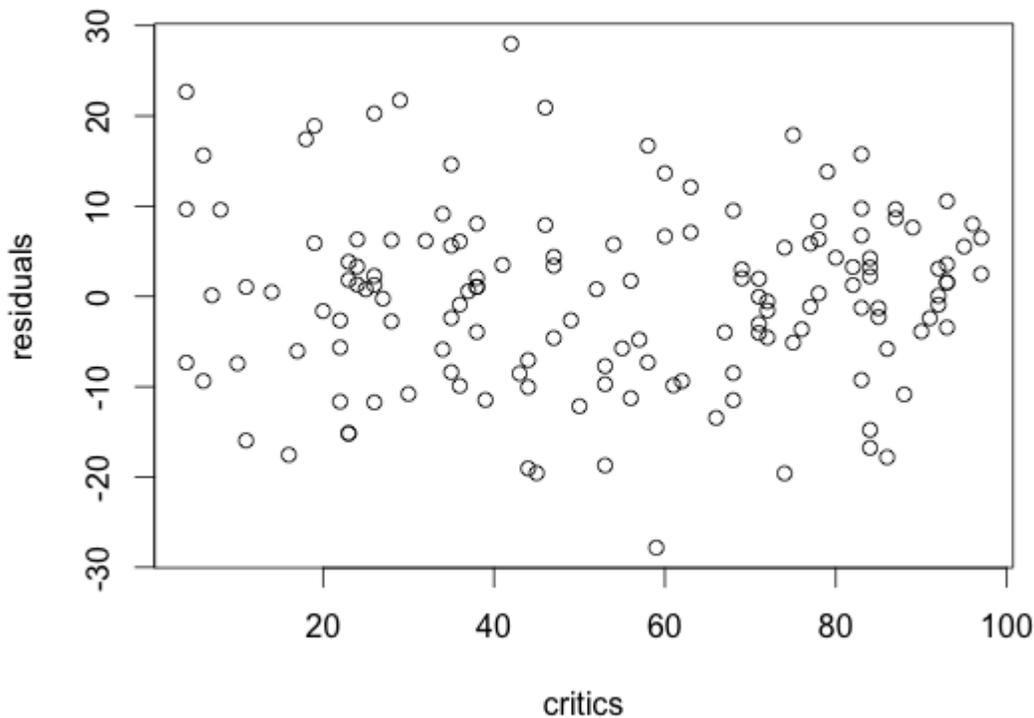
1.  $y = 34.25562 + 0.51612x$  [6pts]

2. Scatterplot [6pts]



3.  $r = 0.8200528$  This indicates a moderately strong, positive linear correlation between the audience scores and the critics scores. [6pts]

4. Residual plot [6pts]



Residual plot appears nearly normal, and we have what appears to be constant variability with no obvious outliers, so least squares appears to be a good fit.

5.  $r^2 = 0.67$ , so about 67% of the variance in average audience scores can be explained by a linear relationship between average audience scores and average critics scores. [6pts]

6.  $H_0 : \beta_1 = 0$

$H_A : \beta_1 > 0$

$p\text{-value} = P(\beta_1 \geq 0.51612 \mid \beta_1 = 0) = \mathbf{2.2 \times 10^{-16}}$

We reject the null hypothesis and conclude that there is strong evidence of a positive linear relationship between average audience scores and average critics scores. [7pts: 2 for hypotheses]

7.  $H_0 : \beta_1 = 0.5$

$H_A : \beta_1 > 0.5$

$p\text{-value} = P(\beta_1 \geq 0.51612 \mid \beta_1 = 0)$

$$= P\left(z \geq \frac{0.51612 - 0.5}{0.03013}\right) = P(z \geq 0.6014) = \mathbf{0.2743}$$

We fail to reject to the null hypothesis. There is not strong evidence that the linear relationship between average critic scores and average audience scores has a slope

greater than 0.5. [8pts: 2 for hypotheses, 4 for computation of z-score (2 for SE), 2 for p-value]

8.  $20 = 34.25562 + 0.51812x$  Solve:  $x = -27.51$  The prediction is problematic because we cannot have negative scores. [6pts: 2pts for explanation]